

where there are 20 terms in this sum. Therefore, we get

$$(20R)(35 \text{ days}) = 1[\text{job}], \quad (2)$$

from which we have that $R = \frac{1}{700}$ job/day.

Next, we divide up the whole job into three contributing parts and sum on those three contributions:

$$\begin{aligned} 1 \text{ job} &= (\text{PJDB 1st part}) + (\text{PJDB 2nd part}) + (\text{PJDB 3rd part}) \\ &= \left(20 \frac{1}{700}\right)(11) + \left(15 \frac{1}{700}\right)(4) + \left((15 + N) \frac{1}{700}\right)(20). \end{aligned} \quad (3)$$

Multiplying through by 700, we get

$$700 = (20)11 + (15)4 + (15 + N)20, \quad (4)$$

which has solution $N = 6$. Meaning, that for the last twenty days of work, six more workers should be hired to finish the job on the 35th day.